On the Behavioral Interpretation of System-Environment Fit and Auto-Resilience

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Abstract—Already 71 years ago Rosenblueth, Wiener, and Bigelow introduced the concept of the “behavioristic study of natural events” and proposed a classification of systems according to the quality of the behaviors they are able to exercise. In this paper we consider the problem of the resilience of a system when deployed in a changing environment, which we tackle by considering the behaviors both the system organs and the environment mutually exercise. We then introduce a partial order and a metric space for those behaviors, and we use them to define a behavioral interpretation of the concept of system-environment fit. Moreover we suggest that behaviors based on the extrapolation of future environmental requirements would allow systems to proactively improve their own system-environment fit and optimally evolve their resilience. Finally we describe how we plan to express a complex optimization strategy in terms of the concepts introduced in this paper.

I. INTRODUCTION

Let us consider a familiar case of “systems”: the human beings. Human beings are generally considered as the highest peak of biological evolution. Their behavioral and teleological characteristics [1] set them apart from other system classes [2] and make them appear to be more “gifted” than other beings, e.g., dogs. But how do the superior qualities of mankind translate in terms of resilience? Under stressful or turbulent conditions we know that often a man will result “better” than a dog: superior awareness, consciousness, manual and technical dexterity, and reasoning; advanced ability to reuse experience, learn, develop science, as well as other factors, they all lead to the apparently “obvious” conclusion that mankind has a greater ability to tolerate adverse conditions.

And though, it is also quite easy to find counterexamples. If a threat, for instance by ultrasonic noise, a dog may perceive the threat and react—for instance by running away—whereas a man may stay unaware until too late. Or consider the case of miners: inability to perceive toxic gases makes them vulnerable to, e.g., carbon monoxide and dioxide, methane, and other lethal gases [3]. A simpler system able to perceive the threat and flee would have more chances to survive. Perception of course is but one of a number of “systemic features” that need to be available in order to counterbalance a threat.

So how do we tell whether a system is fit to stand the new conditions characterizing a changing environment? How do we reason about the quality of resilience? And, even more importantly, how do we make sure that a system “stays fit” if the environment changes?

The above questions are discussed and, to some extent, addressed in this paper.

Our starting point here is the conjecture that resilience is no absolute figure; rather, it is the result of a match with a deployment environment. Whatever its structure, organization, architecture, capabilities, and resources, a system is only robust as long as its “provisions” (its system characteristics, including the ability to develop knowledge and “wisdom”) match the current environmental conditions.

A second cornerstone of the present discussion is given by the assumption that the interactions between systems and environments can be expressed and reasoned upon by considering the behaviors expressed during those interactions. In other words, a system-environment fit is the result of the match between the behaviors exercised by a system and those exercised by its environment (including other systems, the users, etc.)

A third and final assumption is that reasoning about a system’s resilience is facilitated by considering the behaviors of those system “organs” (namely, sub-systems) responsible for the following abilities:

1) the ability to perceive change;
2) the ability to ascertain the consequences of change;
3) the ability to plan a line of defense against threats deriving from change;
4) the ability to enact the defense plan being conceived in step 3;
5) and, finally, the ability to treasure up past experience and continuously improve, to some extent, abilities 1–4.

As can be clearly seen, the above abilities correspond to the components of the so-called MAPE-K loop of autonomic computing [4]. We shall refer to those abilities as well as the organs that embed them as to the “systemic features.”

In what follows we first focus in Sect. II on the concept of behavior and recall the five major classes of behaviors according to Rosenblueth, Wiener, and Bigelow [1] and Boulding [2]. We then introduce a system’s cybernetic class by associating each of the systemic features with its own behavior class.

After this, in Sect. III, we introduce a behavioral formulation of the concepts of supply and system-environment fit as measures of the optimality of a given design with respect to the current environmental conditions.

Section IV then suggests how proactive and/or social behaviors that would be able to track supply and system-environment fit would pave the way to systems able to self-
tune their systemic features in function of the experienced or predicted environmental conditions.

An application of the concepts presented in this work is briefly described in Sect. V.

Our conclusions are finally stated in Sect. VI.

II. SYSTEMIC FEATURES

As mentioned above, an important attribute towards achieving robustness is given by what we called in Sect. I as the “systemic features”, or the behaviors typical of the system under scrutiny. Such behaviors are the subject of the present section.

In what follows we first recall in Sect. II-A what are the main behavioral classes. The main sources here are the classic works by Rosenblueth, Wiener, and Bigelow [1] and Boulding [2]. In the first work, classes were identified by the Authors by considering the system in isolation. In the second one Boulding introduced an additional class considering the social dimension.

After this, in Sect. II-B, we consider an exemplary system; we identify in it the main system organs responsible for resilience; and associate behavioral classes to those organs. By doing so we characterize $C$, namely the “cybernetic class” of the system under consideration.

A. Behavioral Classes

Already 71 years ago Rosenblueth, Wiener, and Bigelow [1] introduced the concept of the “behavioristic study of natural events”, namely “the examination of the output of the object and of the relations of this output to the input”. The term “object” in the cited paper corresponds to that of “system”. In that renowned text the Authors purposely “omit the specific structure and the intrinsic organization” of the systems under scrutiny and classify them exclusively in such systems “the unit is not perhaps the individual human as such—but the ‘role’—that part of the person which is concerned with the organization or situation in question, and it is tempting to define social organizations, or almost any social system, as a set of role tied together with channels of communication.” Social behaviors may take different forms and be, e.g., mutualistic, commensalistic, co-evolutive, or co-competitive [6]–[8]. For more information we refer the Reader to [9].

We shall define $\pi$ as a projection map returning, for each of the above behavior classes, an integer in $\{1, \ldots, 5\}$ ($\pi(\beta_{\text{ran}}) = 1, \ldots, \pi(\beta_{\text{soc}}) = 5$).

For any behavior $\beta_x$ and any set of context figures $F$, notation $\beta^F_x$ will be used to denote that $\beta_x$ is exercised by considering the context figures in $F$. Thus if, for instance, $F = \text{(speed, luminosity)}$, then $\beta^F_x$ refers to a reactive behavior that responds to changes in speed and light.

For any behavior $\beta_x$ and any integer $n > 0$, notation $\beta^n_x$ will be used to denote that $\beta_x$ is exercised by considering $n$ context figures, without specifying which ones.

As an example, behaviour $\beta^{|F|}_{\text{pro}}$, with $F$ defined as above, identifies an order-2 proactive behavior while $\beta^F_{\text{pro}}$ says in addition that that behavior considers both speed and luminosity to extrapolate the future position of the goal.

We now introduce the concept of partial order among behaviors.

Definition 1 (Partial order of behaviors): Given any two behaviors $\beta_1$ and $\beta_2$ we shall say that $\beta_1 \prec \beta_2$ if and only if either of the following conditions holds:

1) $\pi(\beta_1) < \pi(\beta_2)$.
2) $(\pi(\beta_1) = \pi(\beta_2)) \land (\exists (F, G) : \beta_1 = \beta^F_1 \land \beta_2 = \beta^G_2 \land F \subsetneq G)$.
3) $(\pi(\beta_1) = \pi(\beta_2)) \land (\exists (n, m) : \beta_1 = \beta^n_1 \land \beta_2 = \beta^m_2 \land n < m)$.

Whenever two behaviors $\beta_1$ and $\beta_2$ are such that $\beta_1 \prec \beta_2$, it is possible to define some notion of distance between the two behaviors by considering an arithmetization based on.

$^1$For the sake of brevity we will not discuss here passive behavior.

$^2$A classic example of arithmetization may be found in the renowned work [10] by Kurt Gödel.
e.g., the following factors used as exponents of three different prime numbers:

1) \( \pi(\beta_2) - \pi(\beta_1) \).
2) \( |G \setminus F| \).
3) \( m - n \).

In what follows we shall assume that some metric function, \( \text{dist} \), has been defined.

B. Cybernetic Class

The behavioral classes recalled in II-A may be applied to the five “systemic features” introduced in Sect. I. For any system \( s \) we shall refer to the systemic features of \( s \) through the following 5-tuple:

\[
(C_M(s), C_A(s), C_P(s), C_E(s), C_K(s)),
\]

whose components orderly correspond to the abilities introduced in Sect. I as well as to the stages of MAPE-K loops [4]. System \( s \) will be omitted when it can be implicitly identified without introducing ambiguity.

**Definition 2 (Cybernetic Class):** For any given system \( s \) we define as cybernetic class the 5-tuple

\[
C(s) = (\beta_{C_M(s)}, \beta_{C_A(s)}, \beta_{C_P(s)}, \beta_{C_E(s)}, \beta_{C_K(s)}),
\]

where, for any \( x \in \{M, A, P, E, K\} \), \( \beta_{C_x(s)} \) represents the behavior class assigned to systemic feature \( C_x \) of \( s \), or \( \varnothing \) if \( s \) does not include \( C_x \) altogether.

As can be clearly understood, a system’s cybernetic class is a qualitative metric that does not provide a full coverage of the systemic characteristics of the system. As such it should be complemented with quantitative assessments of the quality of service of its system organs—namely the sub-systems responsible for hosting its systemic features (1). In particular for \( C_M(s) \) and \( C_E(s) \)—namely, the features corresponding to the abilities of perception and actuation—it is useful to complement the notion of behavior with a characterization of the set of context variables that are under the “sphere of action” of the corresponding organs. For \( C_M(s) \) this means specifying the set of context figures that may be timely perceived by \( s \) [3], [11]. Interestingly enough, this concept closely corresponds to that of the powers of representation in Leibniz [12]. When considering \( C_E(s) \), the sphere of action could be represented by the set of the context figures that may be controlled—to a certain extent—through system behaviors.

We observe that features \( C_M \) and \( C_E \) are intrinsically purposeful. We believe that notation \( \beta_{C_E} \) provides a convenient and homogeneous way to express the behavior class and the spheres of action of both \( M \) and \( E \) organs.

It is now possible to characterize a system’s cybernetic class through notation (2). As an example, by following the assessments proposed in [13], the adaptively redundant data structures described in [14] have the following cybernetic class

\[
C_1 = (\beta_{\text{pur}}, \beta_{\text{pro}}, \beta_{\text{pur}}, \beta_{\text{pur}}, \varnothing),
\]

while the adaptive \( N \)-version programming system introduced in [15], [16] is

\[
C_2 = (\beta_{\text{pur}}, \beta_{\text{pro}}, \beta_{\text{pur}}, \beta_{\text{pur}}, \beta_{\text{pur}}).
\]

We believe the notion and notation of cybernetic class provide a convenient way to compare qualitatively the systemic features of any two systems with reference to their robustness. As an example, by comparing the above 5-tuples \( C_1 \) and \( C_2 \) one may easily realize how the major strength of those two systems lies in their analytic organs, both of which are capable of proactive behaviors (\( \beta_{\text{pro}} \)—though in a simpler fashion in \( C_1 \). Another noteworthy difference is the presence of a knowledge organ in \( C_2 \), which indicates that the second system is able to accrue and make use of the past experience in order to improve its action—to some extent and exclusively through \( \beta_{\text{pur}} \) behaviors. We conjecture that the action of the knowledge organ in this case corresponds to so-called antifragility [17], [18], namely the ability to “treasure up” the past experience so as to improve one’s system-environment fit.

III. System-Environment Fit

What presented in Sect. II allows for a system to be characterized—to some extent—in terms of its “systemic features”—the provisions that is that play a role when responding to change. As a way to identify the “quality” of those provisions in that section we made use of the different behavioral classes as defined in [1], [2], and introduced \( C(s) \) as well as its components.

Here we move our attention to a second aspect that, we conjecture, needs to be considered when assessing a system’s resilience. This second aspect tells us how the cybernetic class matches the requirements of dynamically changing environmental conditions.

As already anticipated in Sect. I, in what follows we assume that the evolution of an environment may also be expressed as a behavior. Said behavior may be of any of the types listed in Sect. II-A and as such it may result in the dynamic variation of a number of “firing context figures”. In fact those figures characterize and, in a sense, set the boundaries of an ecoregion, namely “an area defined by its environmental conditions” [19].

An environment may be the result of the action of, e.g., a human being (a “user”), or a software managing an ambient, or for instance it may be the result of purposeless (random) behavior—such as a source of electro-magnetic interference. As a consequence, an environment may behave randomly or exhibit a recognizable trend; in the latter case the variation of its context figures may be such that it allows for tracking or speculation (extrapolation of future states). Moreover, an environment may exhibit the same behavior for a relatively long period of time or it may vary dynamically its character.

We shall refer in what follows to the dynamic evolution of environmental behavior as to an environment’s turbulence.

Diagrams such as the one in Fig. 1 may be used to represent the dynamic evolution of environmental behavior.

It is now possible to propose a definition of two indicators for the quality of resilience: the system supply relative to an environment and the system-environment fit.

**Definition 3 (System supply):** Given a system \( S \) deployed in an environment \( E \), characterized respectively by behaviors
$\beta^S(t)$ and $\beta^E(t)$; and given a metric function $\text{dist}$; we define as supply at time $t$ with respect to $\beta^E(t)$ the following value:

$$\text{supply}(S, E, t) = \begin{cases} \text{dist}(\beta^S(t), \beta^E(t)) & \text{if } \beta^E(t) \prec \beta^S(t) \\ -\text{dist}(\beta^S(t), \beta^E(t)) & \text{if } \beta^S(t) \prec \beta^E(t) \\ 0 & \text{if } \beta^E(t) \text{ and } \beta^S(t) \text{ express the same behaviors.} \end{cases}$$

Supply can be positive (oversupply), negative (undersupply), or zero (perfect supply).

**Definition 4 (System-environment fit):** Given the same conditions as in Definition 3, we define as the system-environment fit at time $t$ the function

$$\text{fit}(S, E, t) = \begin{cases} 1/(1 + \text{supply}(S, E, t)) & \text{if } \text{supply}(S, E, t) \geq 0 \\ -\infty & \text{otherwise.} \end{cases}$$

The above definition expresses system-environment fit as a function returning 1 in the case of best fit; slowly scaling down with oversupply; and returning $-\infty$ in case of undersupply. It is not the only possible such definition of course: an alternative one is given, for instance, by having supply 2 instead of supply.

Figure 2 exemplifies a system-environment fit in the case of two behaviors $\beta^S$ and $\beta^E$ with $S \subseteq E$. $E$ consists of five context figures identified by integers 1, ..., 5 while $S$ consists of context figures 1, ..., 4. The system behavior is assumed to be constant; if $S = C(M)$ this means that the system’s perception organ constantly monitors the four figures 1, ..., 4. On the contrary $\beta^E$ varies with time. Five time segments are exemplified $(s_1, ..., s_5)$ during which the following context figures are affected:

- $s_1$ : Figures 1, ..., 4.
- $s_2$ : Figure 1 and figure 4.
- $s_3$ : Figure 4.
- $s_4$ : Figures 1, ..., 4.
- $s_5$ : Figures 1, ..., 5.

The two functions introduced in Sect. III, supply and fit, may be interpreted as measures of the optimality of a given design with respect to the current environmental conditions. Whenever those conditions allow it and a partial order “$\prec$” exists for the behaviors at play, then it is possible to consider system behaviors of the following forms:

1) $\beta^F_{\text{pro}}$, with $F$ including figures supply and fit. Such behavior, when exercised by system organs for analysis, planning, and knowledge management, translates in the possibility to become aware and speculate on the possible future robustness requirements. If this is coupled with the possibility to revise one’s system organs by enabling or disabling, e.g., the ability to perceive certain context figures depending on the extrapolated future environmental conditions, then a system could proactively improve its own system-environment fit.

2) $\beta^F_{\text{soc}}$, with $F$ including figures supply and fit. Analysis, planning, and knowledge management behaviors of this type aim at artificially augmenting or
As we did in the paper just cited we propose to call behaviors such as 1) and 2) as auto-resilient.

Finally, we remark how the formulation of system-environment fit presented in this work may also be tailored so as to include overheads and costs.

V. APPLICATION: PROJECT LITTLE SISTER

LittleSister [20] is an ICON project financed by the iMinds research institute and the Flemish Government Agency for Innovation by Science and Technology (IWT). The project aims to deliver a low-cost telemonitoring [21] solution for home care and is to run until the end of year 2014. LittleSister adopts a connectionist approach in which the collective action of an interconnected network of simple units [22] (battery-powered mouse sensors) replaces the adoption of more powerful and expensive complex devices (smart cameras). In order for this approach to be effective the mentioned collective action is to guarantee that an optimal trade-off between energy efficiency, performance, and safety is dynamically sustained.

We plan to express this optimal trade-off in terms of a system-environment fit. Obviously the formulation of the LittleSister system-environment fit will be considerably more complex than the one introduced in the present work. A key role will be played in particular by the LittleSister awareness organ, which will be used to determine the level of criticality of the current situation and set an operative mode ranging from “energy-saving-first” to “safety-first”. This operative mode will be included in the set of context figures of the social behavior $\beta^{P}_{soc}$ of Little Sister’s sensors. Depending on the requirements expressed by the current operative mode and other context figures, the system-environment fit will vary, which will translate in a variable selection and number of sensors to be activated. The goal we aim to reach is being able to sustain at the same time both maximum safety and minimum energy expenditure.

VI. CONCLUSIONS

The questions we have posed in Sect. I have been answered, to some extent, by defining a conceptual framework for their discussion. The nature of our framework is behavioral and “sits on the shoulders” of the work carried out in the first half of last Century by “giants” such as Bogdanov, Wiener, Odobleja, von Bertalanffy, Boulding, and several others—in turn based on the intriguingly modern ideas of “elder giants” such as Leibniz and Aristotle [12], [23]–[25].

Within our framework we have introduced a behavioral formulation of the concepts of supply and system-environment fit as measures of the optimality of a system with respect to the current conditions of the environment in which the system is deployed.

Moreover, we have suggested how complex abilities such as auto-resilience and antifragility may be expressed in terms of behaviors able to track supply and fit measures and evolve the systemic features in function of the hypothesized future environmental conditions.

Practical application of the concepts in this article has been briefly discussed by considering a strategy for optimizing the collective behavior of the mouse sensors used in project LittleSister.

As can be clearly understood, our work is far from being exhaustive or complete. In particular discussing context figures without referring to a “range”, or sphere of action, makes it difficult to compare behaviors such as auditory perception in animals. Our future work will include extending our conceptual framework accordingly.

Another direction we intend to take is the application of our concepts towards the design of antifragile computing systems; the Reader may refer to [18] for a few preliminary ideas about this.

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